

#### 6-4: Graphing $y = ax^2 + bx + c$

So far, we have seen two forms of a quadratic:

1. Standard form:
2. Vertex form:

*Inquiry:* How do these two forms relate to each other? How can we use this in the real world?

*Example 1:* Rewrite in standard form.

$$y = 3(x + 1)^2 - 4$$

The original (vertex form) and answer (standard form) are equivalent equations. This means they deal with the same graph (a parabola). They are also both transformations of the graph of  $y = 3x^2$ .

*Explore:* Graph  $y = 3(x + 1)^2 - 4$  and the answer from example 1 as well as  $y = 3x^2$  in your graphing calculator. How do the graphs compare?

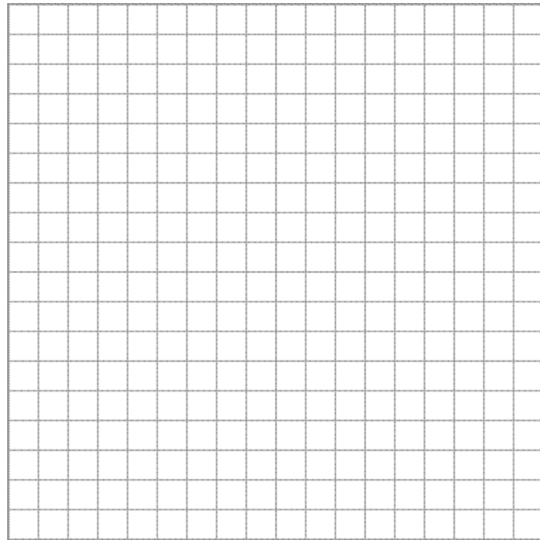
*Upon further examination:* Let's rewrite our generic vertex form equation into standard form and compare.

Now look back at example 1. Can we find  $h$  and  $k$ ? Why would we want to find  $h$  and  $k$ ?

*Example 2:* Find the vertex of the parabola for  $y = -2x^2 - 12x - 22$ .

*Newton's Formula:*

*Example 3:* Matt Mitarnowski is on a bridge 22 feet above the water. Suppose he drops a ball over the 3 foot-high railing. Write an equation, graph it, then *estimate* how long it will take to hit the water.



*Homework:*

***"A SHIP IS SAFE IN HARBOR, BUT THAT'S NOT WHAT SHIPS ARE  
FOR." - UNKNOWN***